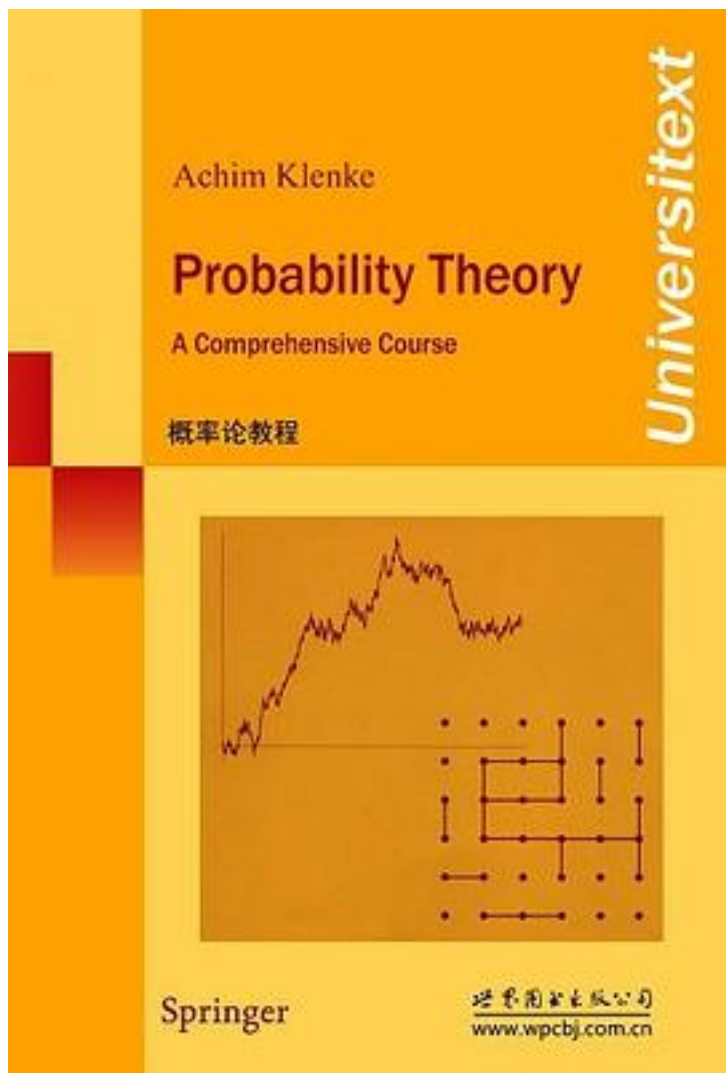


概率论教程



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出版者:世界图书出版公司

出版时间:2012-5

装帧:

isbn:9787510044113

《概率论教程

》是一部讲述现代概率论及其测度论应用基础的教程，其目标读者是该领域的研究生和相关的科研人员。内容广泛，有许多初级教程不能涉及到的。理论叙述严谨，独立性强。有关测度的部分和概率的章节相互交织，将概率的抽象性完全呈现出来。此外，还有大量的图片、计算模拟、重要数学家的个人传记和大量的例子。这使得表现形式更加活跃。

读者对象：数理统计的方向的学生，老师和相关的科研人员。

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